

CONVECTIVE BOUNDARY LAYER FLOW
OF JEFFREY FLUID AND JEFFREY
NANOFLUID OVER VARIOUS GEOMETRY

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I hereby declare that the work in this thesis is based on my original work except for quotations and citations which have been duly acknowledged. I also declare that it has not been previously or concurrently submitted for any other degree at Universiti Malaysia Pahang or any other institutions.

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In dedication to:

My beloved Abah and Ma,
Mohd Zokri Abdul Ghani & Noriah Saleh

My lovely siblings,
Fathi, Faiz, Fakhruddin, Farhan, Syamimi, Fawwaz & Fayyadh

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ABSTRAK

Model bendalir Jeffrey bukan Newtonan menggambarkan sifat likat anjal yang menjelaskan dual komponen pengenduran dan perencatan masa. Kelikatan ricih yang tinggi, penipisan ricih dan tegasan alah adalah ciri penting model bendalir ini, yang sangat berkaitan dengan industri polimer. Kelebihan bendalir Jeffrey adalah bahawa ia boleh diturunkan kepada bendalir Newtonan pada tegasan ricih dinding yang sangat tinggi, dengan syarat tegasan ricih dinding lebih besar daripada tekanan alah. Disebabkan itu, kajian yang dicadangkan di sini bertujuan untuk mengkaji model matematik untuk aliran olakan paksa, bebas dan campuran bendalir Jeffrey. Aliran yang disebabkan oleh pelbagai permukaan seperti lembaran peregangan, lembaran peregangan condong dan silinder bulat mengufuk di bawah kehadiran atau ketidakhadiran zarah nano dipertimbangkan. Analisis aliran untuk zarah nano dilaksanakan berdasarkan model Buongiorno. Masalah spesifik dikaji dengan beberapa kesan termasuk pelepasan likat, hidrodinamik magnet dan sinaran terma. Perumusan matematik dimulai dengan penjelmaan persamaan menakluk berdimensi ke dalam bentuk tak berdimensi menggunakan pemboleh ubah tak berdimensi yang sesuai. Pemboleh ubah penjelmaan keserupaan dan ketakserupaan masing-masing digunakan untuk mengurangkan bilangan pemboleh ubah bersandar atau tak bersandar. Persamaan terbitan biasa atau separa yang terhasil kemudiannya diselesaikan secara berangka melalui skim perbezaan sehingga tersirat, iaitu kaedah kotak-Keller. Algoritma berangka dibangunkan dalam perisian MATLAB untuk mendapatkan penyelesaian berangka. Pengesahan hasil berangka dicapai melalui perbandingan dengan hasil yang terdapat dalam kajian sedia ada. Keputusan berangka profil halaju, suhu dan kepekatan serta pekali geseran kulit, nombor Nusselt dan Sherwood untuk nisbah pengenduran kepada perencatan masa, nombor Deborah, parameter olakan campuran, nombor Prandtl, nombor Eckert, parameter keapungan kepekatan, gerakan Brownian, parameter resapan thermophoresis dan nombor Lewis dibentangkan secara grafik dan dianalisis secara terperinci. Penemuan mendedahkan bahawa, tingkah laku yang bercanggah pada kedua-dua parameter bendalir Jeffrey diperhatikan, tanpa mengira geometri permukaan yang dipertimbangkan. Kehadiran zarah nano dalam bendalir Jeffrey telah meningkatkan profil suhu dan seterusnya meningkatkan pemindahan haba. Aliran mengalir melalui silinder bulat mengufuk mendedahkan bahawa pemisahan lapisan sempadan untuk bendalir nano Jeffrey lebih tertunda daripada bendalir Jeffrey untuk parameter olakan campuran. Menunda pemisahan lapisan sempadan sehingga ke akhir permukaan silinder boleh mengurangkan seretan. Pemisahan ini biasanya tidak diingini dalam aplikasi kejuruteraan kerana jumlah tenaga yang banyak hilang dalam proses perolakan.

ABSTRACT

Non-Newtonian Jeffrey fluid model describes the viscoelastic property that elucidates the dual components of relaxation and retardation times. High shear viscosity, shear thinning and yield stress are the important features of this fluid model, which is profoundly relevant with the polymer industry. The advantage of Jeffrey fluid is that it can be reduced to Newtonian fluid at very high wall shear stress, provided that the wall shear stress is much greater than the yield stress. Owing to these reasons, the proposed study herein aims to examine the mathematical models for forced, free and mixed convection flows of Jeffrey fluid. Flow that is induced by various surfaces such as stretching sheet, inclined stretching sheet and horizontal circular cylinder under the absence or presence of nanoparticles is considered. The flow analysis for nanoparticles is performed based on the Buongiorno model. Specific problems are studied with several effects including viscous dissipation, magnetohydrodynamic and thermal radiation. Mathematical formulation starts with the transformation of dimensional governing equations into dimensionless form using the appropriate non-dimensional variables. Similarity or non-similarity transformation variables are applied to reduce the respective number of dependent or independent variables. The resulting ordinary or partial differential equations are then solved numerically via the implicit finite difference scheme, namely the Keller-box method. Numerical algorithm is developed in MATLAB software to obtain the numerical solutions. Authentication of the numerical results is achieved through comparison with the results available in the existing literature. The numerical results of velocity, temperature and concentration profiles as well as skin friction coefficient, Nusselt and Sherwood numbers for ratio of relaxation to retardation times, Deborah number, mixed convection parameter, Prandtl number, Eckert number, concentration buoyancy parameter, Brownian motion, thermophoresis diffusion parameter and Lewis number are presented graphically and analysed in details. Findings disclose that, the contradictory behaviours of both Jeffrey fluid parameters are observed over the specified distributions, regardless of the surface geometry under consideration. The presence of nanoparticles in Jeffrey fluid has enhanced the temperature profiles and consequently enhanced the heat transfer. Flow passing through the horizontal circular cylinder reveals that the boundary layer separation for Jeffrey nanofluid is more delayed than the Jeffrey fluid for dissimilar mixed convection parameter. Delaying the boundary layer separation up to the end of the cylinder surface can greatly reduce drag. This separation is usually undesirable in engineering applications because considerable amount of energy is lost in the process of eddying.

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LIST OF SYMBOLS

a	Acceleration of the element
a	Radius of horizontal circular cylinder
a_c	Lower bound of the domain
α_0	Inclination angle
b_c	Upper bounds of the domain
b	Induced magnetic field
B	Magnetic force
B_0	Magnetic field
Bi	Biot number
C	Nanoparticle concentration
C_f	Specific heat of fluid at constant pressure
C_{fr}	Local skin friction
C_p	Specific heat capacity of nanoparticle material
C_w	Nanoparticle concentration at surface
C_∞	Ambient nanoparticle concentration
$C_{fr} Gr_x^{1/4}$	Reduced skin friction coefficient (free convection)
$C_{fr} Re_x^{1/2}$	Reduced skin friction coefficient (mixed convection)
d_p	Nanoparticle diameter
D_B	Brownian diffusion coefficient
D_T	Thermophoresis coefficient
$\frac{D}{Dt}$	Material derivative

\mathbf{e}_t	Total energy
e_{int}	Internal energy due to random molecular motion
Ec	Eckert number
\mathbf{E}	Electric field
f	Similarity function
f'	Velocity profile
f''	Skin friction coefficient
\mathbf{F}	Force exerted on fluid element
\mathbf{F}_{b1}	Gravitational body forces
\mathbf{F}_{b2}	Magnetic force
Gr_x	Local Grashof number
\mathbf{g}	Gravitational field
$-g_x$	Gravitational field acting downwards in the \bar{x} direction
h_p	Specific enthalpy of nanoparticle material
h_f	Heat transfer coefficient
\mathbf{I}	Identity tensor
$\mathbf{i}, \mathbf{j}, \mathbf{k}$	Vector components in $\bar{x}, \bar{y}, \bar{z}$ directions
j_p	Surface mass flux
\mathbf{j}_p	Diffusion mass flux for nanoparticle
$\mathbf{j}_{p,B}$	Nanoparticle mass flux due to Brownian diffusion
$\mathbf{j}_{p,T}$	Nanoparticle mass flux due to thermophoretic effect
\mathbf{J}	Current density
k_f	Thermal conductivity of fluid

k_B	Boltzmann constant
k_p	Thermal conductivity of fluid particle
k^*	Mean absorption coefficient
L	Length of plate
Le	Lewis number
m	Mass of the element
M	Magnetic parameter
n	Positive constant
N	Concentration buoyancy parameter
Nb	Brownian motion
Nt	Thermophoresis diffusion parameter
$Nu_{\bar{x}}$	Local Nusselt number
$Nu_x Gr_x^{-1/4}$	Reduced Nusselt number (free convection)
$Nu_x Re_x^{-1/2}$	Reduced Nusselt number (mixed convection)
Pr	Prandtl number
\bar{p}	Scalar pressure
\mathbf{q}	Energy flux
\mathbf{q}_r	Rosseland approximation
q_w	Surface heat flux
R	Radiation parameter
Re_x	Local Reynolds number
\mathbf{R}_1	Rivlin-Ericksen tensor
\mathbf{S}	Extra stress tensor
S_w	Surface shear stress

S	Surface forces
$Sh_{\bar{x}}$	Local Sherwood number
$Sh_x Gr_x^{-1/4}$	Reduced Sherwood number (free convection)
$Sh_x Re_x^{-1/2}$	Reduced Sherwood number (mixed convection)
t	Time
tr	Matrix transpose
T	Fluid temperature
T_f	Hot fluid temperature
T_w	Surface temperature
T_∞	Free stream temperature
$\bar{u}, \bar{v}, \bar{w}$	Components of velocity along the \bar{x} , \bar{y} , \bar{z} directions
\bar{u}_e	External velocity for horizontal circular cylinder
\bar{u}_w	Velocity of the stretched sheet
U_∞	Free stream velocity
\mathbf{V}	Velocity vector
\mathbf{V}_T	Thermophoretic velocity
∇	Vector operator
α	Thermal diffusivity
θ	Temperature profile
ϕ	Concentration profile
γ	Mixed convection parameter
λ	Ratio of relaxation to retardation times
λ_1	Retardation time
λ_2	Deborah number

μ	Dynamic viscosity
σ	Electrical conductivity of fluid
σ^*	Stefan-Boltzmann constant
τ	Cauchy stress tensor
Φ	Viscous dissipation
ρ_f	Density of fluid
$(\rho C)_f$	Effective heat capacity of fluid
ρ_p	Density of nanoparticle
$(\rho C)_p$	Effective heat capacity of nanoparticle material
ρ_∞	Ambient fluid density
ψ	Stream function
ω	Ratio of effective heat capacity of nanoparticle material and heat capacity of nanofluid.
ν	Kinematic viscosity
μ	Fluid viscosity
$\tilde{\beta}$	Proportionality factor
β_T	Coefficient of thermal expansion
β_C	Coefficient of concentration expansion
δ_h	Momentum boundary layer thickness
δ_T	Thermal boundary layer thickness
δ_c	Concentration boundary layer thickness
O	Of order
η	Boundary layer thickness

LIST OF ABBREVIATIONS

MHD	Magnetohydrodynamics
ODEs	Ordinary Differential Equations
PDEs	Partial Differential Equations
RKF 45	Runge-Kutta-Fehlberg Method

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